Faint-source-star planetary microlensing: the discovery of the cold gas-giant planet OGLE-2014-BLG-0676Lb


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ABSTRACT

We report the discovery of a planet – OGLE-2014-BLG-0676Lb – via gravitational microlensing. Observations for the lensing event were made by the following groups: Microlensing Observations in Astrophysics; Optical Gravitational Lensing Experiment; Wise Observatory; RoboNET/Las Cumbres Observatory Global Telescope; Microlensing Network for the Detection of Small Terrestrial Exoplanets; and μ-FUN. All analyses of the light-curve data favour a lens system comprising a planetary mass orbiting a host star. The most-favoured binary lens model has a mass ratio between the two lens masses of $(4.78 \pm 0.13) \times 10^{-3}$. Subject to

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some important assumptions, a Bayesian probability density analysis suggests the lens system comprises a $3.09^{+1.02}_{-1.17} M_\odot$ planet orbiting a $0.62^{+0.20}_{-0.22} M_\odot$ host star at a deprojected orbital separation of $4.40^{+0.16}_{-0.14}$ au. The distance to the lens system is $2.22^{+0.96}_{-0.83}$ kpc. Planet OGLE-2014-BLG-0676Lb provides additional data to the growing number of cool planets discovered using gravitational microlensing against which planetary formation theories may be tested. Most of the light in the baseline of this event is expected to come from the lens and thus high-resolution imaging observations could confirm our planetary model interpretation.

**Key words:** gravitational lensing: micro – planets and satellites: detection.

1 INTRODUCTION

To date, 47 planets in 45 planetary systems have been discovered by microlensing.1 Discovering planets via microlensing (Mao & Paczynski 1991) offers a number of advantages over either the transit (Borucki et al. 2011) or radial velocity (Marcy et al. 2005) methods. Principal among these is the fact that gravitational microlensing is most sensitive to planets orbiting at a few au away from typical host stars, which is of particular interest to planetary formation theorists. This is because these orbital radii correspond to the location of the ‘snow-line’ – the radius around a star beyond which both volatile and refractory material is present in a protoplanetary disc and according to the core-accretion theory of planetary formation, just beyond the snow line is where the most active planet formation occurs (Ida & Lin 2005). Understanding the distribution of planets in this region is therefore of particular importance.

The probability that any given star is magnified by a foreground lens object is very small – around $10^{-6}$ (Sumi et al. 2013). For this reason, microlensing survey observations are carried out towards the dense stellar fields of the Galactic bulge and the Magellanic Clouds. The concomitant challenges of analysing crowded stellar field images, providing real-time analysis of light-curve data and the timely notification of colleagues at instruments spaced in longitude regarding ongoing events have been tackled by the ground-based microlensing community over the last two decades. See Gaudi (2012) for a review.

Having demonstrated its worth as a planet-detection method, planet-hunters are now using space telescopes to obtain follow-up observations of gravitational microlensing events detected from ground-based surveys. This is a step towards the fully spaced-based observations proposed some time ago (Bennett & Rhie 2002; Rattenbury et al. 2002) and which now is being realized with Spitzer observations of microlensing events (see e.g. Yee et al. 2015; Bozza et al. 2016; Poleski et al. 2016). Furthermore, microlensing events are being monitored in Campaign 9 of the K2 space telescope mission during the present 2016 microlensing season (Henderson et al. 2016; Penny et al. 2016), and there is great anticipation regarding the performance of microlensing as part of either or both of the Euclid and WFIRST space telescope missions (Beaulieu, Tisserand & Batista 2013; Yee et al. 2014; Spenger et al. 2015).

For now, the work of the microlensing community remains – in part – to continue to report each planetary-microlensing discovery, in order to power the statistical analyses that are informing us on the planet demographics of the Galaxy (Gould et al. 2010; Sumi et al. 2011; Cassan et al. 2012; Shvartzvald et al. 2016b), and which may challenge the present understanding of how planetary systems form.

Several ground-based observation programmes routinely monitor dense stellar fields to search for microlensing events. The Microlensing Observations in Astrophysics collaboration (MOA; Bond et al. 2001; Sumi et al. 2003), the Optical Gravitational Lensing Experiment (OGLE; Udalski, Szymański & Szymański 2015) and the Korea Microlensing Network (Kim et al. 2016) are continuing their microlensing survey operations. More details on these collaborations are given in Rattenbury et al. (2015).

The Wise Observatory Group operates a 1 m telescope at Wise Observatory in Israel. This instrument comprises the Large Area Imager for the Wise Observatory camera which has a 1 deg² field of view. At the time of event OGLE-2014-BLG-0676/MOA-2014-BLG-175, the Wise Observatory was conducting a survey for microlensing events (Shvartzvald et al. 2016b).

The survey collaborations issue alerts to the broader community when each new microlensing event is discovered. Particular attention is drawn to those events showing evidence for perturbations that could be owing to a planet, or that are predicted to have a high sensitivity to such perturbations. Confirmatory and supporting observations are sought and made by follow-up observation groups such as $\mu$-FUN (Gould et al. 2010), Probing Lensing Anomalies Network (Albrow et al. 1998), RoboNET (Tsapras et al. 2009) and Microlensing Network for the Detection of Small Terrestrial Exoplanets (MiNDSTEp; Dominik et al. 2010). Preliminary models explaining the data in hand are computed by human and artificial experts alike (see e.g. Bozza 2010; Bozza et al. 2012) to inform any further commitment of follow-up resources.

This work reports the discovery of planet OGLE-2014-BLG-0676Lb via gravitational microlensing, using survey and follow-up data. In Sections 2 and 3, we describe the data and their treatment, respectively. We describe our modelling of the observed light-curve data in Section 4. An analysis of the microlensed source star is given in Section 5, and the planet parameters estimated from a probability density analysis are presented in Section 6. We discuss and conclude our work in Section 7.

2 OBSERVATIONS

Microlensing event OGLE-2014-BLG-0676 was discovered by the OGLE collaboration on 2014 April 26 at 21:19 UTC. The MOA collaboration discovered the same event 2.7519 d later, designating the event MOA-2014-BLG-175. The OGLE coordinates of this event are (RA, Dec.; J2000.0) = (17h52m24.5s, −30°32′54″20″); ($l$, $b$) = (359.376 047, −2.092 892).

The OGLE light curve for this event comprises 4115 data points in the $I$ band. The MOA light curve comprises 24 659 data points,
taken in the custom MOA-red filter, which has a passband corresponding to the sum of the standard $R$ and $I$ filters. 468 $I$-band observations were obtained with the Wise telescope. In addition to these survey data sets, further observations were made by the RoboNET collaboration using the Las Cumbres Observatory Global Telescope (LCOGT; Brown et al. 2013), and the Danish 1.54 m telescope at European Southern Observatory (ESO) La Silla, Chile as part of the MiNDSTEp microlensing follow-up programme (Dominik et al. 2010). 7, 2 and 13 observations of the event in the SDSS-i passband were made using the 1 m LCOGT telescopes at their South African Astronomical Observatory, Siding Springs and Cerro Tololo Inter-American Observatory, respectively. 16 observations were made with the Danish 1.54 m telescope.

3 DATA REDUCTION

The OGLE data for this event were generated from image data via the OGLE difference imaging pipeline (Udalski 2003). The images obtained by the MOA telescope were reduced by the difference imagine pipeline of Bond et al. (2001). When performing difference imaging on a crowded stellar field, the photometry of a star can be affected by a neighbouring star of a different colour, owing to the differential refraction effect of Earth’s atmosphere. The MOA light-curve data were corrected for differential refraction. The OGLE and Wise data did not require this correction. The Wise data were reduced using the PyxisDia software (Albrow et al. 2009). The RoboNET data were reduced using DANDIA and the MiNDSTEp data were reduced using a modified version of DANDIA for use with Electron Multiplying CCDs (Bramich 2008; Bramich et al. 2013). The MiNDSTEp instrumental $R$-band light-curve data were converted to $I$-band magnitudes using a photometric calibration between the MiNDSTEp and OGLE photometry scales (Hundertmark, private communication). The $\mu$-FUN collaboration took a few observations in the $I$ and $H$ bands, however these data were not obtained with a view to constraining the parameters of a binary light-curve model and are therefore not included here. The MOA collaboration did not obtain any $V$-band images of this event. While the OGLE collaboration did take some $V$-band images of the event field, the source star does not appear on their reference images; thus, no measurement of the magnified source is possible.

The MOA and OGLE survey data sets were trimmed to include only data from the 2013–2015 microlensing seasons for the purpose of finding candidate models to explain the data. This trimming was done to avoid any problems arising from any long time-scale systematic errors in the event’s baseline photometry, caused, for example, by flat-fielding inconsistencies over the time-scales of years. The binary nature of the lens system is seen in the light-curve data at times $J^{+} = JD - 2450000 \in [6775, 6779]$ days. Any data points outside this time interval that provide a contribution to $\chi^{2} > 16$ with respect to a preliminary well-fitting binary lens model were discarded. Errors on the light-curve data were rescaled to give $\chi^{2}/\text{dof} \approx 1$. The final data sets used for modelling are summarized in Table 1.

4 BINARY LENS MODELLING

The parameters for the simplest binary lens model assuming a finite-sized source star are the mass ratio, $q = M_{p}/M_{E}$; the separation, $s$, of the two mass elements in the binary lens system; the angle $\alpha$ that the path of the source star subtends with respect to the line defined by the two mass elements in the binary lens; the impact parameter $u_{0}$; the time interval $t_{E}$ that the source takes to traverse the Einstein radius; the epoch $t_{0}$ that corresponds to when the source is at position $u_{0}$; and the source-star radius $\rho \equiv \theta_{s}/\theta_{E}$. $\theta_{E}$ and $\theta_{s}$ are the angular sizes of the source star and Einstein ring radius, respectively. $u_{0}$ is measured in units of $\theta_{E}$ from the centre of mass of the lens system, $s$ is measured in units of the Einstein ring radius and $M_{p}$ and $M_{E}$ are planet and host lens masses, respectively.

Initial binary lens models were found by performing a wide grid search over the parameters $q$, $s$ and $\alpha$, allowing the parameters $u_{0}$, $t_{0}$, $t_{E}$ and $\rho$ to vary. Starting from several good candidate binary lens solutions found in the grid search, we refined these models using an adaptation of the image-centred ray-shooting method of Bennett (2010). The limb-darkening of the source star is included in our modelling through a linear profile. The surface brightness of the source star is given by $S_{\lambda}(\theta) = S_{\lambda}(0)[1 - u_{1}(1 - \cos(\theta))]$ where $\theta$ is the angle between the line of sight and the normal to the stellar surface and $u_{1}$ is the limb-darkening coefficient for a particular filter colour. The source-star ($(V - I)$ colour determines our values of the limb-darkening coefficients. However, this colour estimate for the source is model dependent. We therefore iterated our analysis for producing a best-fitting binary lens model and the analysis leading to an estimate of the source colour – and thence to values of $u_{1}$, see Section 5 – until the iterative analysis converges on values of $u_{1}$.

The parameters for our best-fitting binary lens models are shown in Table 2. The columns entitled ‘Wide’ and ‘Close’ list the parameter values for the best-fitting basic binary lens models. The model names – ‘Wide’ and ‘Close’ – reflect the different values of the separation, $s$, between the binary lens masses. In terms of $\chi^{2}$, the Wide model is preferred over the Close model by only $\Delta \chi^{2} \approx 0.5$. That degenerate models exist with values $s$ and $1/s$ for source-star tracks passing close to the central caustic is well-known in planetary microlensing (Dominik 1999). The light-curve data and best-fitting model curve for event OGLE-2014-BLG-0676Lb is shown in Figs 1 and 2. The caustic curves and source-star track are shown in Fig. 3.

The effect of parallax arising from Earth’s orbital motion around the Sun (Gould 1992; Alcock et al. 1995) can allow an estimation of the distance to the lens system, and thereby a unique determination of the lens system properties – in particular the absolute values of the masses of the lens components and the separation between them. In terms of modelling microlensing light curves, we introduce two additional parameters $\pi_{E, E}$ and $\pi_{E, N}$ that are the east and north components of the parallax vector $\pi$. We can find the mass of the host star and its distance from Earth as follows:

$$M_{L} = \theta_{E}/(k \pi_{E}); \quad D_{L} = \frac{au}{\pi_{E, E} + \pi_{E, N}},$$

where $\theta_{E}$ is the angular Einstein ring radius, $\pi_{E} = au/D_{L}$ and $k = 4G/(c^{2}au) = 8.144\text{mas}/M_{\odot}$ (Gould 2000). In addition to a measurement of parallax, $\pi_{E}$, we also need an estimate of the distance to the source star, $D_{S}$, and an estimate of the absolute angular source-star size, which, combined with a modelled value of the source-star size, gives us an estimate of $\theta_{E}$. The value of $t_{E}$ for the

<table>
<thead>
<tr>
<th>Group</th>
<th>Band</th>
<th>N</th>
</tr>
</thead>
<tbody>
<tr>
<td>OGLE</td>
<td>$I$</td>
<td>2530</td>
</tr>
<tr>
<td>MOA</td>
<td>MOA-Red</td>
<td>9185</td>
</tr>
<tr>
<td>Wise</td>
<td>$I$</td>
<td>444</td>
</tr>
<tr>
<td>LCOGT</td>
<td>SDSS-i</td>
<td>22</td>
</tr>
<tr>
<td>MiNDSTEp</td>
<td>$R$</td>
<td>16</td>
</tr>
</tbody>
</table>

Table 1. Final data sets used for modelling planetary-microlensing event OGLE-2014-BLG-0676/MOA-2014-BLG-175.
Table 2. Best-fitting binary lens model parameters for microlensing event OGLE-2014-BLG-0676/MOA-2014-BLG-175.

<table>
<thead>
<tr>
<th>Parameters</th>
<th>Wide</th>
<th>Close</th>
<th>Wide+parallax</th>
<th>Close+parallax</th>
</tr>
</thead>
<tbody>
<tr>
<td>$t_0$ (JD)</td>
<td>6777.335</td>
<td>6777.306</td>
<td>6777.319</td>
<td>6777.309</td>
</tr>
<tr>
<td>$t_0$ (day)</td>
<td>0.058</td>
<td>0.051</td>
<td>0.045</td>
<td>0.052</td>
</tr>
<tr>
<td>$u_0 \times 10^3$</td>
<td>3.7</td>
<td>4.3</td>
<td>3.6</td>
<td>3.9</td>
</tr>
<tr>
<td>$q \times 10^3$</td>
<td>4.78</td>
<td>4.85</td>
<td>4.60</td>
<td>4.31</td>
</tr>
<tr>
<td>$s$</td>
<td>1.347</td>
<td>0.760</td>
<td>1.358</td>
<td>0.757</td>
</tr>
<tr>
<td>$\alpha$ (rad)</td>
<td>2.203</td>
<td>2.270</td>
<td>2.229</td>
<td>2.284</td>
</tr>
<tr>
<td>$\rho \times 10^4$</td>
<td>2.78</td>
<td>2.69</td>
<td>2.61</td>
<td>2.43</td>
</tr>
<tr>
<td>$\pi_{E,N}$</td>
<td>–</td>
<td>–</td>
<td>−1.81</td>
<td>−2.24</td>
</tr>
<tr>
<td>$\pi_{E,E}$</td>
<td>–</td>
<td>–</td>
<td>0.22</td>
<td>0.51</td>
</tr>
<tr>
<td>$\chi^2$</td>
<td>12 150.2</td>
<td>12 150.6</td>
<td>12 127.4</td>
<td>12 136.7</td>
</tr>
<tr>
<td>dof</td>
<td>12 178</td>
<td>12 178</td>
<td>12 176</td>
<td>12 176</td>
</tr>
<tr>
<td>$\chi^2_N$</td>
<td>0.997 71</td>
<td>0.997 75</td>
<td>0.996 01</td>
<td>0.996 77</td>
</tr>
</tbody>
</table>

Figure 1. Observed data for event OGLE-2014-BLG-0676/MOA-2014-BLG-175 from the MOA (grey), OGLE (red) and Wise (green) microlensing survey groups along with data from the RoboNET/LCOGT (cyan) and MiNDSTEp (magenta) groups. Also shown is the best-fitting binary lens model light-curve (black line). The parameters for this model are given in Table 2. The epoch when the OGLE collaboration issued an alert for this event is indicated with a black arrow. Data with extremely large errors are omitted.

Despite the improvements in $\chi^2$ afforded by our best-fitting parallax models, we accept the binary lens models without parallax as our favoured explanation for this event.

and perhaps most tellingly, the improvement in $\chi^2$ comes from the model fitting a set of incoherent and noisy MOA data in the baseline, giving rise to the improvement in overall $\chi^2$. Secondly, the modelled values of $\pi_E$ are unusually higher than those seen in typical parallax events – casting further doubt on the validity of the parallax models. The high degree of blending in this event, see below, possibly explains why parallax was not observed in this event, similar to event OGLE-2015-BLG-1319 (Shvartzvald et al. 2016a). For these reasons, we do not consider that we have a reliable measurement of parallax for event OGLE-2014-BLG-0676/MOA-2014-BLG-175. Despite the improvements in $\chi^2$ afforded by our best-fitting parallax models, we accept the binary lens models without parallax as our favoured explanation for this event.
Looking at Figs 1 and 2, we see that the Wide binary lens model fits the data well through the second caustic crossing and exit at times HJD$^\prime \simeq 6778.0\sim 6778.1$ d. The second caustic crossing was only observed by the MOA collaboration, but the interval between the caustic crossings was well covered by MOA, OGLE and Wise observations. No data were recorded during the first caustic crossing.

5 SOURCE STAR

Combined with our modelled values of $\rho$ and $t_b$, an estimate of the angular size of the source star $\theta_\star$ allows an estimate of the angular Einstein ring radius $\theta_E$ via $\theta_E = \theta_\star / \rho$. This can provide tighter constraints on the binary lens mass and separation, see e.g. Suzuki et al. (2014). We can use published colour–radius relationships to obtain an estimate of $\theta_\star$, once we have an estimate of the source-star colour.

We start by cross-matching the field stars in the MOA and OGLE-IV photometric catalogues in a 2 arcmin region centred on the co-ordinates of event OGLE-2014-BLG-0676/MOA-2014-BLG-175. This gives us the following relationship between instrumental MOA and OGLE-IV colours: $(R_{\text{MOA}} - I_{\text{OGLE-IV}}) = 0.16709 \pm (0.0028) (V - I)_{\text{OGLE-IV}} + 3.5593 \pm (0.0084)$. We then cross-match OGLE field stars for this event between the calibrated OGLE-III photometric data base (Szymański et al. 2011) and the OGLE-IV photometry:

$$
I_{\text{OGLE-III}} = (4.684 \pm 0.42) \times 10^{-2} + I_{\text{OGLE-IV}} + \ldots 
+ (-6.1 \pm 1.6) \times 10^{-3} (V - I)_{\text{OGLE-IV}}
(\ldots + (0.1615 \pm 0.0021) (V - I)_{\text{OGLE-IV}} + \ldots)
+ (0.15747 \pm 0.0053).
$$

From the best-fitting model, we obtain the instrumental source magnitude and colour $[I_{\text{OGLE-IV}}, (R_{\text{MOA}} - I_{\text{OGLE-IV}})]$ and using the above two relationships we obtain the source colour in the calibrated OGLE-III photometric scale:

$$
I_\star = 23.512 \pm 0.11
(V - I)_\star = 4.27 \pm 0.11,
$$

where the errors above include – in quadrature – model-dependent errors in estimating instrumental baseline magnitudes, and the uncertainties associated with the linear relationships above. A colour–magnitude diagram (CMD) of the OGLE-III field stars within 60 arcsec of event OGLE-2014-BLG-0676/MOA-2014-BLG-175 is shown in Fig. 4.

We need now an estimation of the extinction and reddening suffered by the source star. We make the usual assumption that the source star resides in the Galactic bulge and that it suffers the same degree of extinction and reddening as Red Clump Giant (RCG) stars residing in the bulge. RCG stars are often used as standard candles for Galactic structure studies (e.g. Cao et al. 2013). Using a CMD of the OGLE-III field stars for this event we isolate the RCG stars and find the centroid position in the CMD:

$$
I_{\text{RCG}} = 16.94 \pm 0.03
(V - I)_{\text{RCG}} = 3.15 \pm 0.01.
$$

We use the following values of the intrinsic luminosity values of Galactic bulge RCGs (Bensby et al. 2013; Nataf et al. 2013): $I_{\text{RCG},0} = 14.44 \pm 0.04$ with the colour of the red clump being centred at $(V - I)_{\text{RCG},0} = 1.06$ with dispersion 0.06. Using these intrinsic RCG magnitudes and colours, we estimate the reddening and extinction towards event OGLE-2014-BLG-0676/Lb to be $(A_V, E(V - I)) = (2.50, 2.09) \pm (0.05, 0.07)$. The intrinsic source colour and magnitude values are therefore $(I, V - I_{\text{bol},0}) = (21.02, 2.18) \pm (0.12, 0.13)$.

In Fig. 4 we also show stars observed with the Hubble Space Telescope (HST) towards a region of Baade’s window (Holtzman et al. 1998), where the central position of the red clump for each set of stars have been aligned. Shown on this diagram are the source colour and magnitude values which, with reference to the HST data, suggest that the source is marginally consistent with a star in the bulge. From the relationship given in Casagrande & VandenBerg (2014), we estimate the effective temperature of the source star to be $T_{\text{eff}} = 3604_{-66}^{+68}$ K. Using this $T_{\text{eff}}$ value, we use the ATLAS stellar atmosphere models of Claret (2000) to obtain the linear limb-darkening coefficients for both the $I$-band data and the MOA-red filter: $(c_1, c_{\text{MOA}}) = (0.6014, 0.6485)$ where $c_{\text{MOA}}$ is computed as the average of the limb-darkening coefficients in the $R$ and $I$ bands. We apply the stellar radius–colour relationship of Kerzendorf et al. (2004) to estimate the radius of the source star. Combined with our modelled value of $\rho = \theta_\star / \theta_E = (2.78 \pm 0.33) \times 10^{-4}$, we estimate the angular Einstein ring radius to be $\theta_E = 1.38 \pm 0.43$ mas.

6 LENS SYSTEM PARAMETER ESTIMATION

We are unable to set tight constraints on the absolute mass of the host star in the lens system, or its distance from Earth without a credible measurement of microlensing parallax. We resort therefore to a probabilistic analysis of the nature of the lens system (Beaulieu et al. 2006; Bennett et al. 2008), using a Galactic model (Han & Gould 2003) and assuming that the distance to the Galactic Centre is 8 kpc. Using our observed value of $\theta_E$, $t_b$, and the de-extincted blend flux derived from the OGLE-1 band data as the upper limit of the light contributed by the lens in this event, $I_{0,0} = 17.202 \pm 0.005$,

![Figure 4. Colour–magnitude diagram (CMD) of the OGLE-III field stars within 60 arcsec of event OGLE-2014-BLG-0676/MOA-2014-BLG-175 (black). The Holtzman (1998) CMD data for Baade’s window is shown in grey. The centre of the red clump is indicated (red asterisk) as is the location of the source star.](image-url)
we find the lens system comprises a $3.09_{-1.12}^{+1.02} M_J$ planet orbiting a $0.62_{-0.22}^{+0.20} M_\odot$ host star at a deprojected orbital distance of $4.40_{-1.46}^{+2.16}$ au. The distance to the lens system is $2.22_{-0.83}^{+0.96}$ kpc. The parameter distributions are shown in Fig. 5 and the physical parameters of the favoured model are listed in Table 3.

The lens–source proper motion is estimated as $\mu_{\text{rel}} = \theta_E/\tau_E = 4.33 \pm 1.43$ mas yr$^{-1}$. Following the estimation of Bennett, Anderson & Gaudi (2007) of when the $HST$ could have resolved the lens and source components for event OGLE-2005-BLG-169L, and considering the estimated lens–source relative proper motion for OGLE-2014-BLG-0676/MOA-2014-BLG-175, $HST$ could resolve the lens and source for this event in around 3.7 yr following the event peak – corresponding to the end of 2017. In our Bayesian analysis, most of the light in this event was contributed by the lens system and thus we need not wait for the separation of the lens and source to allow a measurement of the lens flux by $HST$. Adaptive optics measurements from the ground will be able to make measurements of the lens flux now for comparison to our Bayesian estimates.

There are a number of important assumptions made in the derivation of lens system parameters via such a Bayesian probability density analysis and the reader is directed to Rattenbury et al. (2015) for these.

### Table 3. Physical parameters for the favoured binary lens model for microlensing event OGLE-2014-BLG-0676/MOA-2014-BLG-175.

<table>
<thead>
<tr>
<th>Physical parameter</th>
<th>Value</th>
</tr>
</thead>
<tbody>
<tr>
<td>Planet mass</td>
<td>$3.09_{-1.12}^{+1.02} M_J$</td>
</tr>
<tr>
<td>Orbital radius</td>
<td>$4.40_{-1.46}^{+2.16}$ au</td>
</tr>
<tr>
<td>Host mass</td>
<td>$0.62_{-0.22}^{+0.20} M_\odot$</td>
</tr>
<tr>
<td>Lens distance</td>
<td>$2.22_{-0.83}^{+0.96}$ kpc</td>
</tr>
<tr>
<td>Einstein ring radius</td>
<td>$1.38 \pm 0.43$ mas</td>
</tr>
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</table>

7 DISCUSSION AND CONCLUSIONS

We found the anomalous signal in gravitational microlensing event OGLE-2014-BLG-0676/MOA-2014-BLG-175 to be consistent with a planetary lens system. The source star passed through the central caustic, with the second caustic crossing being well recorded by the MOA microlensing survey collaboration. Observations at epochs between the unrecorded first caustic crossing and the second caustic crossing were made by the OGLE, Wise and MOA collaborations. Further observations were made by the RoboNET/LCOGT and MiNDSTEp groups, but these were made at times away from the planetary signal. The best-fitting binary lens model for this event has a binary lens mass ratio of $(4.78 \pm 0.13) \times 10^{-3}$ and the binary
lens components are separated by $s = 1.347 \pm 0.024$, with a degenerate solution having $s = 0.760 \pm 0.014$. This lens mass ratio is a few times greater than that found in the earlier work by Shvartzvald et al. (2016b), in which the mass ratio for this event was reported to be $q \sim 1.4 \times 10^{-3}$. This lower mass ratio was obtained from a coarse search of the binary lens microlensing parameter space, as this event was only one of 29 anomalous events analysed in that work.

A believable measurement of parallax for this event was not possible. We did, however, estimate the angular radius of the source star and thereby estimate the angular size of the Einstein ring radius, $\theta_E$. The source star is rather faint, and very red. There is a possibility that the source may be blended with a nearby red star, causing an incorrect identification of the source-star type.

A Bayesian probability analysis for the lens system parameters for this event suggests that the binary lens system for OGLE-2014-BLG-0676/MOA-2014-BLG-175 is consistent with a 3 $\pm 1$ MJ planet orbiting a 0.62 $\pm 0.22$ M$\odot$ host star at a deprojected orbital separation of 4.40 $\pm 0.16$ au. The distance to the lens system is 2.22 $^{+0.30}_{-0.83}$ kpc. This measurement of the lens mass is consistent with a K-dwarf star. In our Bayesian analysis, we assumed that most of the light from this event is contributed by the lens star and thus lens flux measurements with an adaptive-optics system will provide a check on our Bayesian estimates of the lens system. In any event, planet OGLE-2014-BLG-0676Lb can be added to the growing list of planets discovered by microlensing against which planetary formation theories can be tested.