



ergies can address issues of particle acceleration in both the shell and PWN and of PWN evolution. If the shell of G11.2-0.3 has no associated synchrotron X-ray emission, G11.2-0.3 will be alone among remnants less than a few thousand years old in this property. Borkowski et al. (2016) found blast-wave velocities from direct expansion of  $700 - 1200 \text{ km s}^{-1}$ , fast enough to allow electron acceleration to X-ray-emitting energies. The confirmation and spectral characterization of such emission is important for the study of shock acceleration. The PWN is also one of the youngest known, and its spectral properties above the *Chandra* band are important for the study of particle acceleration in relativistic shocks and transport into the PWN interior.

Power to the PWN is provided by the central rotation powered pulsar (PSR). How exactly the pulsar manages to produce its wind and how this wind becomes particle dominated are questions that are still unanswered, but observational properties of the engine can shed light on the problem by providing clues to the geometry of particle acceleration in the magnetospheres. J1811-1925 is a radio-quiet,  $\sim 65 \text{ ms}$ , high-magnetic field pulsar with a field strength of  $B \sim 10^{12} \text{ G}$  and an estimated rotational kinetic energy loss of  $\dot{E} \sim 6 \times 10^{36} \text{ ergs s}^{-1}$  (Torii et al. 1999). It was discovered in soft X-rays by *ASCA* (Torii et al. 1997) and in the soft ( $20 - 300 \text{ keV}$ )  $\gamma$ -ray band by *INTEGRAL*/IBIS (Dean et al. 2008). Many PWN have proven themselves to be effective accelerators, and due to proximity, it was postulated whether J1811-1925 could be related to the nearby TeV source HESS J1809-193, but the association was deemed unlikely due to the distance from the TeV emitter and the fact that the jet of J1811-1925 is not pointed towards HESS J1809-193, in which case it becomes hard to explain how the particles are propagating to the target. It remains undetected in radio (Crawford et al. 1998) and in the GeV by the *Fermi* LAT (Acero et al. 2016), which makes the X-ray band the only accessible for study.

The hard x-ray properties of the pulsar have been previously studied with *RXTE* (Roberts et al. 2004), where it was seen that the pulse profile maintained its sinusoidal shape up to  $90 \text{ keV}$ , and the pulsed spectrum was measured in the PCA ( $2.5 - 30 \text{ keV}$ ) to be a power-law with slope  $\Gamma = 1.16 \pm 0.2$ . Later, the data from *RXTE* was combined with *INTEGRAL* (Kuiper & Hermsen 2015), confirming pulsations up to  $135 \text{ keV}$ , and the spectrum of the remnant + pulsar above  $20 \text{ keV}$  to be consistent with a power-law of  $\Gamma = 1.61 \pm 0.15$ .

In this paper we undertook a detailed study of G11.2-0.3 with *NuSTAR* to examine the pulsar, PWN, and shell. For the pulsar, we examined the pulse profiles as a function of energy and the spectrum of pulsations. For the PWN, we examined the integrated spectrum and energy-dependent morphology. Finally, for the shell, we attempted to confirm the presence of non-thermal emission in the shell and to study it if confirmed.

## 2. OBSERVATIONS AND DATA REDUCTION

We use in this paper data from *NuSTAR* (Harrison et al. 2013), *Chandra* (Weisskopf et al. 2002), and *INTEGRAL* (Ubertini et al. 2003). The *NuSTAR* data was taken from June 23 to June 26, 2016 for a total on target exposure time of 89ks after filtering

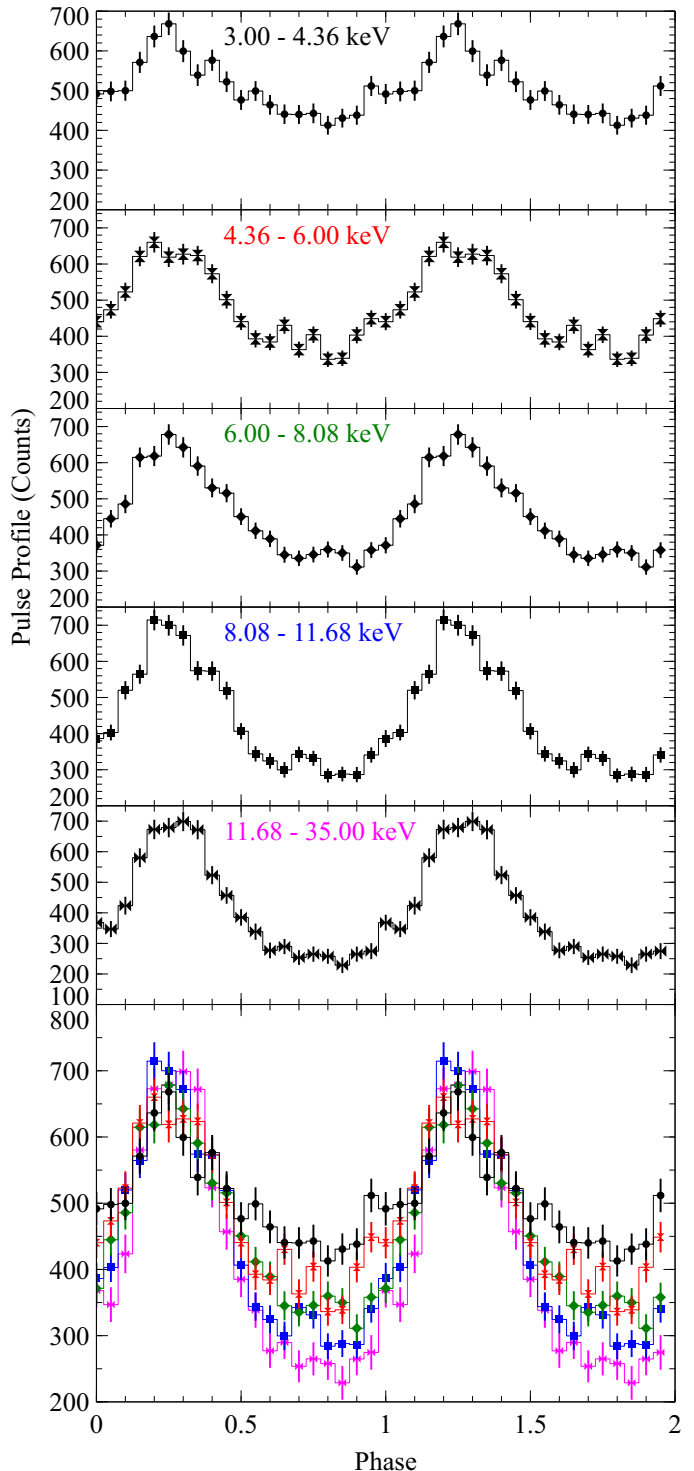


FIG. 1.— Pulse profiles in different energy bands. Energy bins were selected to have an equal number of net counts ( $\sim 7800$  counts). We define the off-pulse period as phase  $0.6 - 1.0$ . The bottom panel compares the pulse profiles in the five energy bins. Though the integrated flux at pulse peak is the same across these energy bins, the off-pulse flux decreases with energy.

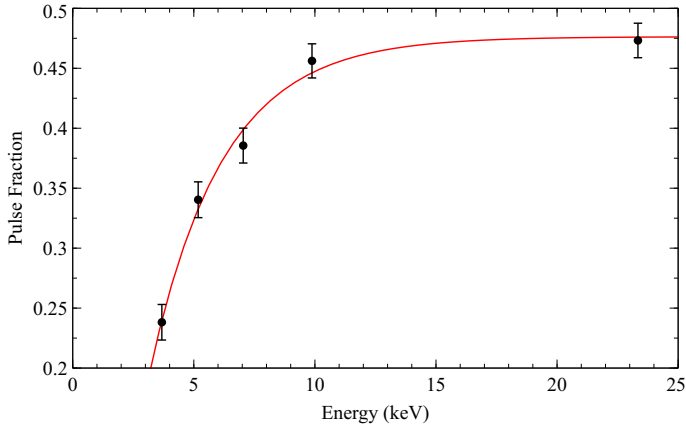


FIG. 2.— Pulse fraction as a function of energy fitted with an exponential function. As the pulse fraction is representative of the contribution of the pulse to the steady PWN component, the curves shows that the PWN flux gets fainter with respect to the pulsed component with increasing energy.

away high SAA regions. The data was reduced using `nustardas_0.9Jun15_v1.5.1` and CALDB version 20160606. Several stray-light regions appear close to the source, as well as a transient source located at RA=272:49:16.93 and Dec=-19:28:23.16, which appeared briefly between 2016 June 24 at 22:57:00 UTC and 2016 June 25 at 00:20:00 UTC, but the source itself is clear of contamination, and a clean background region could be obtained adjacent to the source. The details of each extracted spectrum will be visited in the relevant sections. *NuSTAR* flies two co-aligned telescopes with two identical detector focal planes that we will refer to as FPMA and FPMB.

*Chandra* data used here were obtained in five segments between May 5 and September 9, 2013 for a total effective exposure of 388 ks after screening, as described in Borkowski et al. (2016). Data were obtained in Very Faint mode, and reprocessed with CIAO v4.6 and CALDB v4.6.3. Screening for periods of high particle background was performed. The five observations were aligned as described in Borkowski et al. (2016). For spectral analysis, the background had to be obtained from the *Chandra* blank fields, available through the *Chandra* CALDB<sup>1</sup>. This was necessary, because the source contaminates the entire S3 CCD chip, most likely due to dust scattering, which will be significant at column densities above  $1 \times 10^{22}$  atoms  $\text{cm}^{-2}$ .

We obtained the *INTEGRAL* ISGRI/IBIS data and responses on PSR J1811+1925 (we note that in the catalog it is labeled as PSR J1811+1926) from the *INTEGRAL* General Reference Catalogue v.41 (Ebisawa et al. 2003)<sup>2</sup>.

### 3. ANALYSIS

We will first present the analysis of the pulse profile, §3.1, then the analysis of the geometrical properties of the remnant in §3.2, both of which were performed with *NuSTAR* data only. The spectral analysis section will address separately in order; the full remnant broad band spectrum, §3.3.1; the nebula spectrum, §3.3.2; the pulsed

spectrum, §3.3.3; and finally the broadband spectral energy distribution (SED) from 1 – 300 keV, §3.4.

#### 3.1. Pulse profile

We applied barycenter corrections to the event file using the the *NuSTAR* clock-correction file version 32 (or newer) at the position of the pulsar as given by *Chandra*. We extracted source counts from a 123'' radius circular region (corresponding to 50 pixels) and added FPMA and FPMB counts together. We applied the ephemeris provided by Smith et al. (2008)<sup>3</sup>, which was obtained from *RXTE*, and folded the lightcurve, but did not recover the pulsations. We then used HENDRICS (Bachetti 2015), built on Stingray (Huppenkothen et al. 2016), to find a new local solution and PINT to calculate the errors (Luo et al. 2015). We obtain a frequency of  $\nu = 15.4564269(1)$  Hz and  $\dot{\nu} = -8.(2)e - 12$  Hz  $\text{s}^{-1}$  at the epoch  $T_0 = 57563$  MJD. We then chose 5 different energy bins, selected to have an equal amount of counts in each bin after background subtraction to get the pulse profiles shown in Figure 1. The energy bins each contain  $\sim 7800$  counts and are: 3.00 – 4.36, 4.36 – 6.00, 6.00 – 8.08, 8.08 – 11.68, and 11.68 – 35.00 keV. The integrated flux at pulse peak remains approximately constant throughout the five bins, while the off-pulse flux decreases, causing the pulse to broaden. We calculate the pulse fraction as  $PF = (F_{max} - F_{min}) / (F_{max} + F_{min})$ , where  $F_{min}$  is the minimum flux in the pulse profile and  $F_{max}$  the maximum flux in the profile. The resulting curve, shown in Figure 2, can be fit with an exponential that flattens above 25 keV. Since the pulse fraction is a measure of the ratio of the pulse to the steady PWN component, the curve shows the PWN flux growing fainter with respect to the pulsed component as a function of increasing energy.

#### 3.2. Imaging

To investigate the energy-dependent remnant geometry, we first divided each FPM into three energy bands chosen to have equal amounts of counts after background subtraction. The background was obtained adjacent to the remnant, RA=272.9379 and Dec=-19.4457, clear of any straylight or source contamination, and at radius of 80'' was kept as large as possible without crossing any detector borders. Having the same number of counts in each band ensures that the deconvolved images can still be compared even though the flux is not being strictly conserved by the deconvolution process. These energy bands are: 3.0 – 5.5, 5.5 – 9.0, and 9.0 – 35 keV. We then made two selections, one for the off-pulse (phase 0.6 – 1.0) and one for the entire phase (0.0 – 1.0). Each image and module were separately deconvolved using the `max_likelihood` IDL routine from AstroLib<sup>4</sup>, which is a maximum-likelihood algorithm based on Richardson (1972) and Lucy (1974). The deconvolution procedure requires the average background to be zero, and we subtracted the average background from the image. We used the energy appropriate 2D PSFs from the *NuSTAR* CALDB library and chose the off-axis angle to be the average for the observation. The algorithm requires iterative steps and we used 50 deconvolutions. This number

<sup>1</sup> See <http://cxc.harvard.edu/ciao/download/caldb.html>

<sup>2</sup> See <https://www.isdc.unige.ch/integral/science/catalogue>

<sup>3</sup> <https://fermi.gsfc.nasa.gov/ssc/data/access/lat/ephems/>

<sup>4</sup> See <https://github.com/wlandsman/IDLAstro>

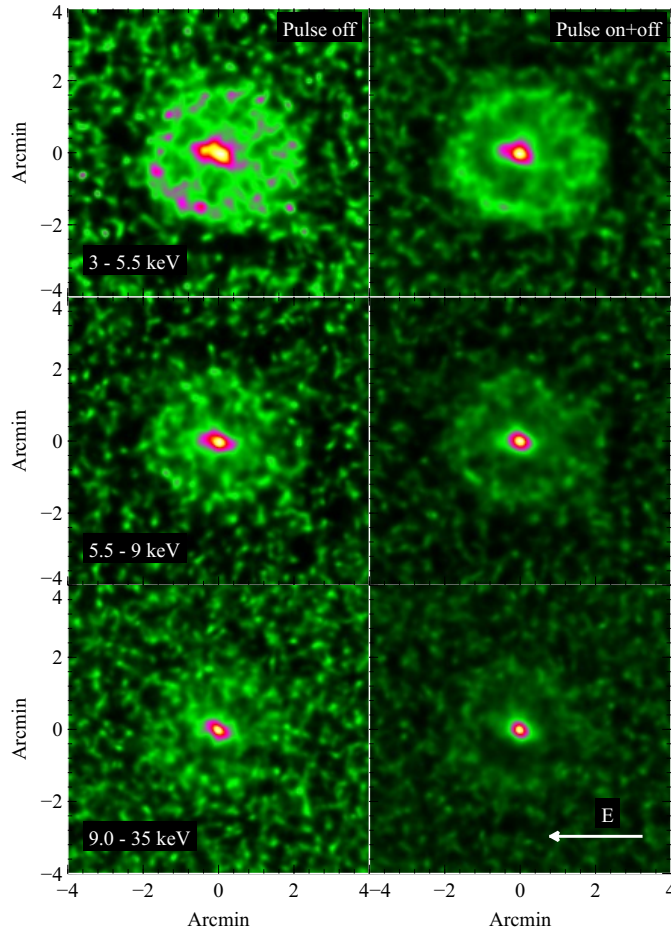


FIG. 3.— Deconvolved images. Left column shows off-pulse and right column pulse on+off (entire phase). From top to bottom the energy bands are: 3 – 5.5, 5.5 – 9, and 9 – 35 keV.

was obtained as optimal by measuring the PSFs of deconvolved point sources and finding that no further improvement was obtained in PSF width beyond this value (for details see Madsen et al. (2015)). After the deconvolution we combined FPMA and FPMB images.

Figure 3 shows the three energy bands for the two selections. Since each image contains the same amount of photons, and the stretch of each image is the same from peak to background, the apparent dimming of the remnant with respect to the central PWN is real. There is also an indication in the off-pulse images that the PWN is shrinking with increasing energy. To investigate this in more detail, we extracted a  $350''$  strip along RA with a width of  $17''$  in Declination through the pulsar (see Figure 4) and summed across the short axis. Figure 5 shows the intensity profile strips normalized to the total number of counts present in the strip in a linear plot to emphasize how the intensity across the remnant becomes more centralized with increasing energy. It also shows that the peak of the intensity is shifting east. In *Chandra*, Borkowski et al. (2016) finds the maximum intensity of the jet below 8 keV to be located West of the pulsar location, which is in agreement with our findings. Above 8 keV we see the intensity on the east side of the pulsar decreasing and the maximum intensity localized

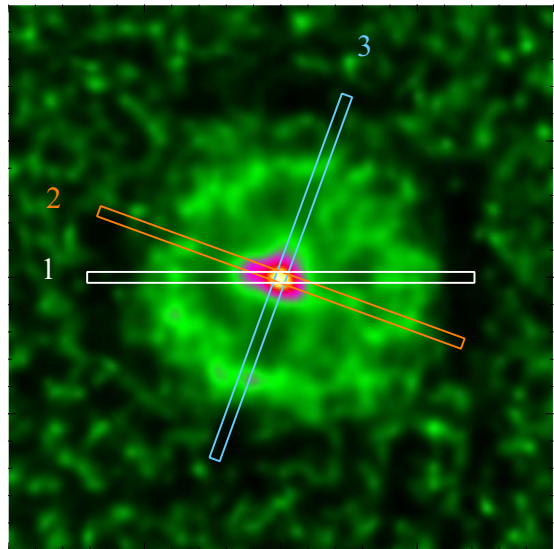


FIG. 4.— The location of the extracted strips  $350''$  long and  $17''$  across: 1) along RA, 2) along the jet-axis, and 3) along the torus axis, perpendicular to the jet.

around the pulsar. We note that since the pulse profile broadens at higher energies, it is possible that there is some pulsar contamination present at the edges of the off-pulse window that could bias the peak intensity towards the pulsar location.

To determine the shrinkage rate in the remnant as a function of energy, we defined two axis; one along the ‘jet axis’ (estimated from *Chandra* images to be  $340^\circ$ ), and one that is perpendicular, which we call the ‘torus axis’. We rotated the images by  $340^\circ$  and again extracted an intensity strip  $350''$  long and  $17''$  wide (see Figure 4) from each energy band and plot them together in Figure 6, where we have this time normalized each profile at the pulsar location, which we identify as the geometrical center of the remnant. It should be noted that the maximum intensity is not found at the pulsar location, but off-center along the jet axis as already discussed. We measure the Half Width at Half Max (HWHM) from the pulsar in arcseconds.

Because the deconvolution procedure does not offer an absolute error on how well it has managed to recreate the correct lengthscale, we deconvolved several strong point sources in the same energy band and noted that their PSF after deconvolution changed by about  $1.5''$  between the lowest and highest band. This gives us a conservative  $2''$  relative error between energy bands. We weighted the HWHM bins with the number of counts for an asymmetric center of the bin, and fitted the HWHM as a function of energy with a power-law:  $kE^{-\gamma}$  (see Figure 7). The averaged East and West exponent for the jet is  $\gamma_{\text{jet}} = 0.9 \pm 0.3$ , and for the torus axis  $\gamma_{\text{torus}} = 0.5 \pm 0.4$ . Unfortunately, the uncertainties on the function are quite large, but we can still deduce that the central parts of the remnant appear to shrink faster along the jet axis (East-side more rapidly than the West) than the torus axis (South-side more rapidly than the North).

### 3.3. Spectroscopy

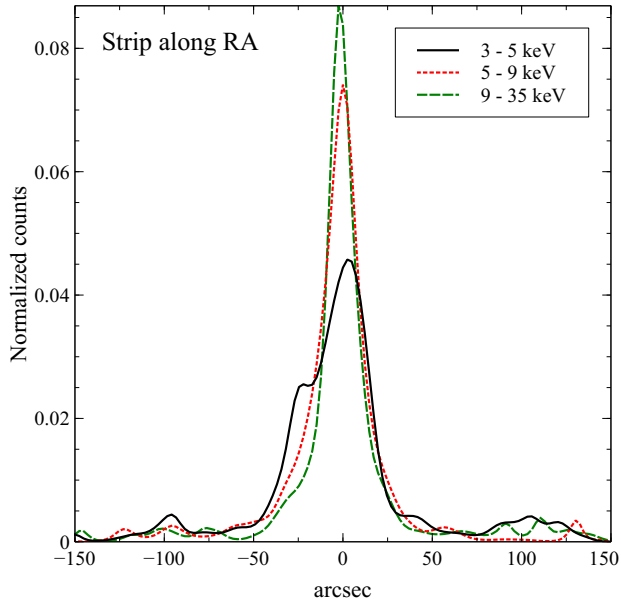


FIG. 5.— Strip extracted along RA  $350''$  long and  $17''$  across (see Figure 4) through the pulsar position and summed across the short axis. The strips have been normalized to the total number of counts in the strip and shows that the intensity becomes more concentrated at the center of the remnant with increasing energy.

With *Chandra*, Roberts et al. (2003) characterized and measured the spectrum across the remnant using a plane-parallel shock model (Borkowski et al. 2001) and a power-law to account for a hard excess. They observed significant variations across the remnant, however, the results suffered from a partial degeneracy between the absorbing column, the electron plasma temperature, and the power-law index. *NuSTAR* has little sensitivity to the absorbing column and the abundances in the remnant, but with its wider bandpass it can constrain the power-law index. To overcome these shortcomings in both instruments, we supplement the *NuSTAR* data with *Chandra* where it benefits.

We use *XSPEC* for fitting (Arnaud 1996), Wilms abundances (Wilms et al. 2000), Verner cross-sections (Verner et al. 1996), and C-stat as the fitting statistic (Cash 1979) on the un-binned data, but report the goodness of fit for the *NuSTAR* spectra only, since, as shall be explained, it was not feasible to do so for the combined *Chandra-NuSTAR* fit. Unless otherwise stated the errors will be reported at the 90% confidence limit.

### 3.3.1. Full remnant broadband spectrum

While G11.2-0.3 is a complex object with at least three distinct components (PSR, PWN, and shell) we first describe a fit to the spatially integrated emission for comparison with non-imaging instruments such as *NICER* and *INTEGRAL*. We extracted the broadband spectrum from both observatories for the entire remnant within  $123''$ , including both the PSR and PWN. The PSR is marginally piled up in *Chandra*, but the skew to the spectrum is minor enough that qualitative assumptions about the spectral shape can still be made if we ignore energies above 5 keV for *Chandra*. In *NuSTAR* we have signal up to 35 keV, but since the background becomes comparable to the source at  $\sim 25$  keV we fit conservatively from 3 –

20 keV.

We model the spectra with an absorbed<sup>5</sup> power-law and a plane-parallel shock model, given in *XSPEC* notation as: `tbabs(powerlaw+vpshock)`. We found the upper limit of the ionization timescale,  $\tau_u$ , to be degenerative with the electron plasma temperature and froze it to  $\tau_u = 4.2 \times 10^{11} \text{ s cm}^{-3}$  as found by Roberts et al. (2003). Choosing a  $\tau_u$  that is 50% lower increases the electron temperature by  $\sim 10\%$ . Separately, each instrument fits this model well, but as already discussed, the *NuSTAR* data offers poor constraints on the shock component, while the *Chandra* data poorly constrains the power-law component. The best fit values therefore, unsurprisingly, differed significantly between instruments. However, when fitted together, we discovered that this discrepancy isn't just due to the different energy bands, but because there are significant residuals in the transition region between the thermal and non-thermal component between 5 – 7 keV as shown in Figure 8, middle panel, which appears like a 'break' in the continuum.

As reported by Madsen et al. (2017), cross-calibration differences are known to exist between the two observatories, mainly in the absolute normalization, but also in the slopes of the two instruments. However, it is important to note that the feature is seen only in *NuSTAR* well outside the *Chandra* band and not directly in the overlap region, which is where typically cross-calibration issues show themselves. Unfortunately, dedicated campaigns between *NuSTAR* and *Chandra* only exist for the gratings and we can therefore not rule out that this feature could stem from a cross-calibration issue. There are strong indications, though, that this is not the case. A  $\sim 9$  keV break was detected in G21.5-0.9 with *NuSTAR* (Nynka et al. 2014), and breaks across the Crab PWN were seen between 8 – 12 keV also exclusively with *NuSTAR* data (Madsen et al. 2015). In MSH 15-52 a break was detected around 6.3 keV (An et al. 2014), and like for G11.2-0.3, this one was only found when combined with *Chandra* data. Outside of PWN spectra, we have not observed breaks like this between *NuSTAR* and *Chandra* data, and we therefore proceeded under the assumption that this is not a cross-calibration issue, but an actual problem with the chosen models.

A better fit was obtained by replacing the power-law with a broken power-law and setting the break energy around  $\sim 6$  keV (see Figure 8, bottom panel). This improved model still exhibits residuals around 5 – 6 keV, where we introduced the break, but they may be explained by a far more gradual transition than the sharp cusp of the broken power-law. As to the source of the break, one possibility is that the thermal component is poorly represented by a single shock and rather should be a superposition of several different electron temperatures and abundances. This is supported by the very large residuals seen in our abundance lines of Mg, Si, S, Ar and Ca. Lopez et al. (2011) measured abundances at 23 locations across the remnant and found the abundances and electron temperatures can vary by factors of 2. Adding more *vpshock* components indicated that these residuals could be improved, but it introduced a large number of free parameters and degeneracy that raised its own complications. We therefore continued with the broken

<sup>5</sup> <http://pulsar.sternwarte.uni-erlangen.de/wilms/research/tbabs/>

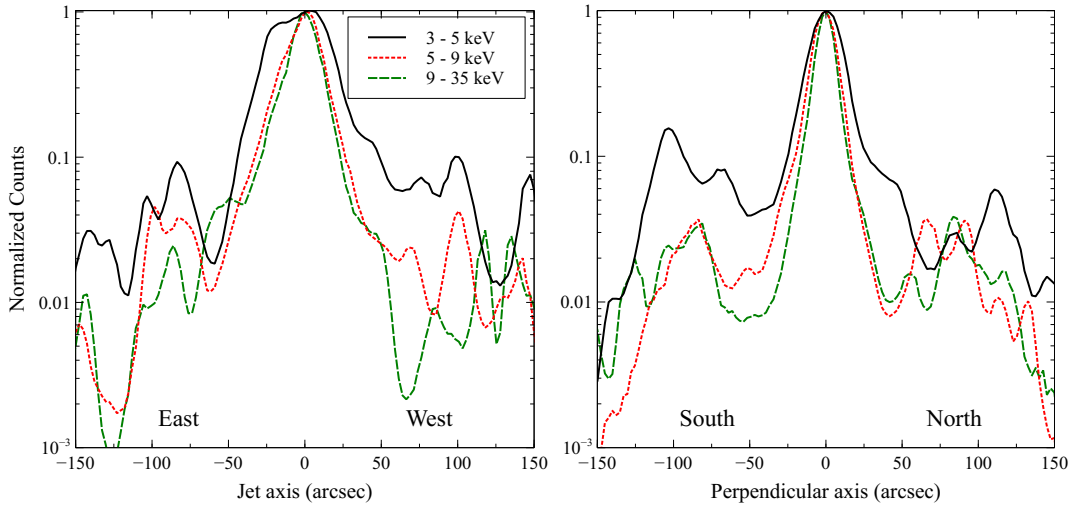


FIG. 6.— Intensity profiles through the pulsar location along the jet axis and perpendicular to the jet axis. The images were rotated by  $340^\circ$  and a strip  $350''$  long and  $17''$  across.

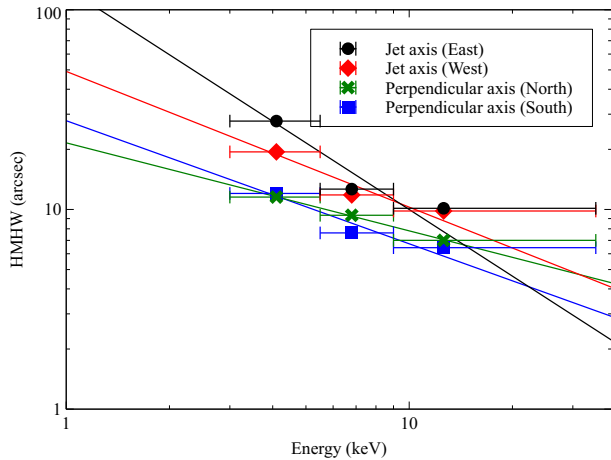


FIG. 7.— Half width half max (HWHM) values measured from the pulsar location.

power-law interpretation, noting that the power-law index,  $\Gamma_1$ , below the break energy has little physical meaning.

In the initial modeling we allowed the abundances to remain free and find relative to solar:  $\text{Mg} \sim 1.2$ ,  $\text{Si} \sim 1.5$ ,  $\text{S} \sim 1.3$ ,  $\text{Ar} \sim 1.2$ , and  $\text{Ca} \sim 2.9$ . These abundances are acceptably close to average abundance values inferred from Lopez et al. (2011), but as stated the fit leaves significant residuals in the lines. These residuals can be cosmetically improved upon by adding a number of gaussians, but since we already understand the reason for the residuals, and the application of multiple gaussians is unphysical, we left the residuals as they are.

At this point we therefore emphasize that the inclusion of the *Chandra* data serves to better define the power-law by providing constraints on the thermal component and the galactic absorption. It is not our intent to make any detailed measurements or statements on the abundances values, which has already been covered in detail by Roberts et al. (2003), Lopez et al. (2011), and Borkowski et al. (2016). Instead, we focus here on the

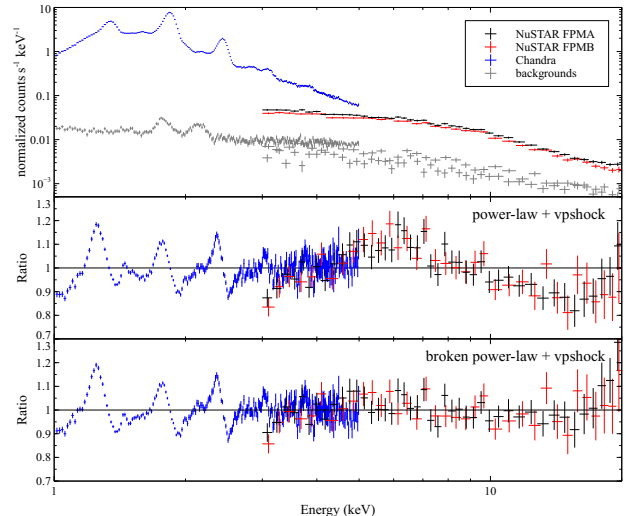


FIG. 8.— Fit to *Chandra* and *NuSTAR* for the entire remnant, PSR + PWN. Residuals are shown for the two models and it can be seen that a broken power-law greatly improves the residuals, though not perfectly. We interpret the remaining residuals as the inefficacy of the sharp broken power-law cusp to model a gradual break.

hard non-thermal component, represented by  $\Gamma_2$ , which is the index above the power-law break.

We proceeded to freeze the abundances and calculated errors for all relevant parameters, noting that it became necessary to evaluate the electron temperature from the  $\chi^2$ -curve produced by the `steppar` command due to the complications from the line residuals. For the entire remnant, including the PSR, we find the best fit parameters:  $N_{\text{H}} = 3.35 \pm 0.01$ ,  $kT = 0.65 \pm 0.01$ ,  $E_{\text{break}} = 5.9 \pm 0.3$ ,  $\Gamma_1 = 1.2 \pm 0.1$ , and  $\Gamma_2 = 1.78 \pm 0.03$  (see Table 1).

### 3.3.2. Nebula and Shell Spectrum

To investigate the PWN spectrum, we separated out the PSR from the nebula in the *NuSTAR* data by employing phase-resolved spectroscopy. This is necessary due to fact that the *NuSTAR* PSF, which has a Half

TABLE 1  
SPECTRAL FITS

model (XSPEC)	tbabs	broken powerlaw			logpar <sup>a</sup>		vpshock		
parameter	$N_{\text{H}}(\text{tbabs})^{\text{b}}$	$E_{\text{break}}$	$\Gamma_1$	$\Gamma_2$	$\alpha$	$\beta$	kT (keV)	$\tau_u$ ( $10^{11} \text{s cm}^{-3}$ )	$\bar{\chi}^2$ ( $\chi^2/\text{dof}$ ) <sup>c</sup>
remnant all <sup>d</sup>	$3.35 \pm 0.01$	$5.9 \pm 0.3$	$1.2 \pm 0.1$	$1.78 \pm 0.03$	-	-	$0.65 \pm 0.01$	$4.2^{\text{e}}$	1394/1348
PWN region 1 (0 – 37'')	$3.21 \pm 0.03$	$3.5 \pm 0.3$	$0.6 \pm 0.3$	$1.66 \pm 0.05$	-	-	$0.62 \pm 0.2$	$4.2^{\text{e}}$	131/140
PWN region 2 (37 – 74'')	$3.29 \pm 0.02$	$4.9 \pm 0.3$	$0.3 \pm 0.4$	$1.92 \pm 0.07$	-	-	$0.63 \pm 0.01$	$4.2^{\text{e}}$	198/166
shell region 3 (74 – 123'')	$3.49 \pm 0.01$	$5.5 \pm 0.2$	$0.2 \pm 0.4$	$2.1 \pm 0.1$	-	-	$0.64 \pm 0.01$	$4.2^{\text{e}}$	438/399
			powerlaw						
pulsar <sup>f</sup>	$3.2^{\text{e}}$	-	$1.32 \pm 0.07$	-	-	-	-	-	650/641
pulsar <sup>f</sup>	$3.2^{\text{e}}$	-	-	-	$1.14 \pm 0.2$	$0.31 \pm 0.29$	-	-	647/640

<sup>a</sup>Alternative to **powerlaw** used for pulsar only

<sup>b</sup>unit:  $10^{22} \text{ atoms cm}^{-2}$

<sup>c</sup>The Goodness of Fit is reported for the *NuSTAR* data only (with *Chandra* data removed).

<sup>d</sup>Includes pulsar and nebula for all phases for an extraction region of radius 123''

<sup>e</sup>Parameter frozen

<sup>f</sup>Pulse on - pulse off

TABLE 2  
SPECTRAL FITS: *NuSTAR* ONLY

model (XSPEC)	tbabs	powerlaw	vpshock			
parameter	$N_{\text{H}}(\text{tbabs})$ $10^{22} \text{ atoms cm}^{-2}$	$\Gamma$	kT (keV)	$\tau_u$ ( $10^{11} \text{s cm}^{-3}$ )	$\bar{\chi}^2$ ( $\chi^2/\text{dof}$ )	
PWN region 1 (0 – 37'')	$3.2^{\text{a}}$	$1.86 \pm 0.05$	-	-	139/153	
PWN region 2 (37 – 74'')	$3.3^{\text{a}}$	$1.96 \pm 0.13$	$0.6^{+0.4}_{-0.2}$	$4.2^{\text{a}}$	193/158	
Shell region 3 (74 – 123'')	$3.5^{\text{a}}$	$2.2 \pm 0.1$	$0.5^{+0.1}_{-0.1}$	$4.2^{\text{a}}$	323/305	

<sup>a</sup>Parameter is frozen

Power Diameter (HPD) of 60'', will otherwise contaminate the remnant with the PSR. We used the ephemeris presented in section 3.1 to extract the counts from phase bins 0.6 – 1.0 (see Figure 1), which we define as the off-pulse phase. As shown in Figure 9, we extracted three regions for both instruments: 0 – 37'' (#1), 37 – 74'' (#2), and 74 – 123'' (#3), which cover the central PWN, the shell, and what is between. Because the shell, # 3, has very little contamination from the pulsar, confirmed by the absence of pulsations when folding the spectrum on the period and verifying identical fits within errors to the pulse-on and -off spectrum, we used the full phase range (0.0 – 1.0) to increase statistics. For *NuSTAR* the response files are obtained out of the standard pipeline for extended regions. Since PSF corrections cannot be applied to extended responses in *NuSTAR*, the flux will not be precise between instruments, and we allowed for a constant to account for the flux differences between FPMA and FPMB and another for *Chandra*.

Based on our findings above, we used the broken power-law model, **bknpowerlaw + vpshock**, and found that in all three cases it is required. The line residuals in *Chandra* still dominate the fit statistics and we followed the procedure outlined before and froze the abundances once the residuals had been minimized. We summarize the fit results in Table 1, and find that  $\Gamma_2$  softens with increasing radius, progressing from region the PWN (#1) through to the shell (#3) from  $1.66 \pm 0.05$  to  $2.1 \pm 0.1$ , which supports the scenario of the remnant becoming fainter with increasing radius and energy.

As a separate check, we fitted the *NuSTAR* data alone, which required us to freeze the  $N_{\text{H}}$  and abundances to the value found with *Chandra* for each region and the upper ionization timescale to  $\tau_u = 4.2 \times 10^{11} \text{s cm}^{-3}$ , nei-

ther of which are sensitive, or can be constrained, in the *NuSTAR* band. The fits to the *NuSTAR* data alone are given in Table 2 and show that within errors the photon index is consistent with that found for  $\Gamma_2$  in Table 1. For the PWN (region #1) we cannot measure a thermal component in *NuSTAR*.

To quantify the broken power-law spectrum better, we also fitted the combined spectra with a power-law in place of the broken power-law and did one fit with the power-law photon index left free, and another fixing the photon index to  $\Gamma_2$  from the broken power-law found in the same region. The ratio plots for all three regions are shown in Figure 10, 11, and 12. In the upper panels we show the broken power-law fit, in the middle panel the power-law fit, the results of which we do not record since they are for visual purposes only, and in the bottom panel the power-law fit with  $\Gamma = \Gamma_2$  frozen. By considering the ratios in each region, it appears that the broken power-law spectrum is strongest in the shell.

Finally, we fitted the spectra in the shell with a **vpshock+srcut** model, where **srcut** describes the synchrotron spectrum from an exponentially cut-off power-law distribution of electrons in a homogeneous magnetic field. We used the values for the radio spectral index,  $\alpha = 0.56$ , and normalization of the radio flux at 1 GHz of 2 Jy, obtained from Tam et al. (2002), but the curvature of the spectrum at high energies is far too quick to describe the data.

We searched for an iron line in the *NuSTAR* data, but find no evidence of its presence. Despite background and pileup issues around the iron region, we also searched the *Chandra* data since a line should still be evident even if the continuum is piled-up, but do not find any evidence of iron there either.

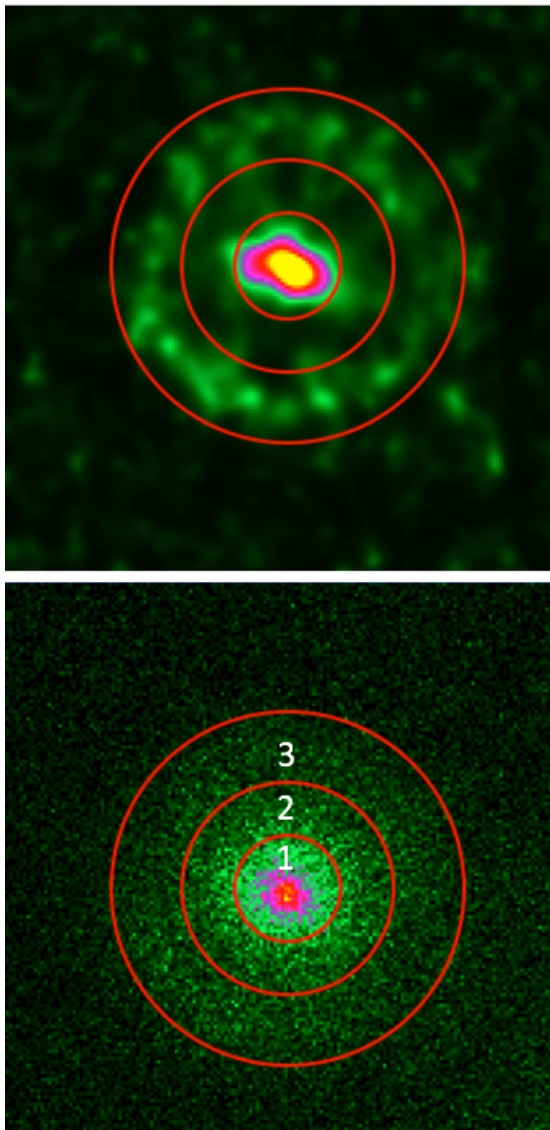


FIG. 9.— Top: The deconvolved 3 – 35 keV image. Bottom: The raw image of FPMA. Red circles correspond to radius of: (#1) 37'', (#2) 74'', and (#3) 123''.

### 3.3.3. Pulsed spectrum

From the imaging analysis it is apparent that the PWN contributes less flux at higher energies, which is supported by the pulse fraction curve, showing the ratio of the PSR flux to PWN flux increasing as a function of energy. To investigate the shape of the pulsed spectrum, we used as background the off-pulse phase (0.6 – 1.0) and subtracted it from the on-pulse phase (0.0 – 0.6). To test the stability of the results, we used three different extraction regions: the entire remnant (123''), an intermediate region (74''), and the interior (37''). They agree within errors, so we used the highest SNR spectrum from a radius of 74''. Because the background is contained in the same region, which reduces the uncertainties, we were able to measure the spectrum all the way up to 50 keV. We fitted the spectrum with two models: a `powerlaw` and `logpar` model, which is a power-law model where

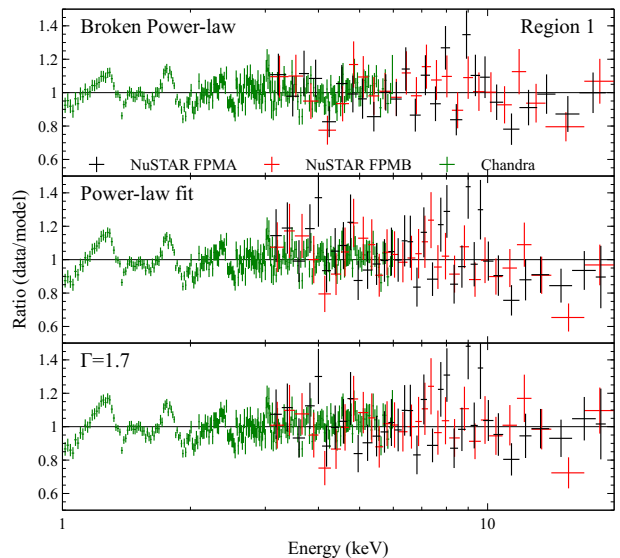


FIG. 10.— Combined fits to *Chandra* and *NuSTAR* for region #1 shown in Figure 9. Top panel are residuals to the best fit of a broken power-law and a plane parallel shock. Middle panel are residuals to a power-law and plane parallel shock. Bottom panel are residuals then the power-law index is frozen to  $\Gamma_2$  given in Table 1.

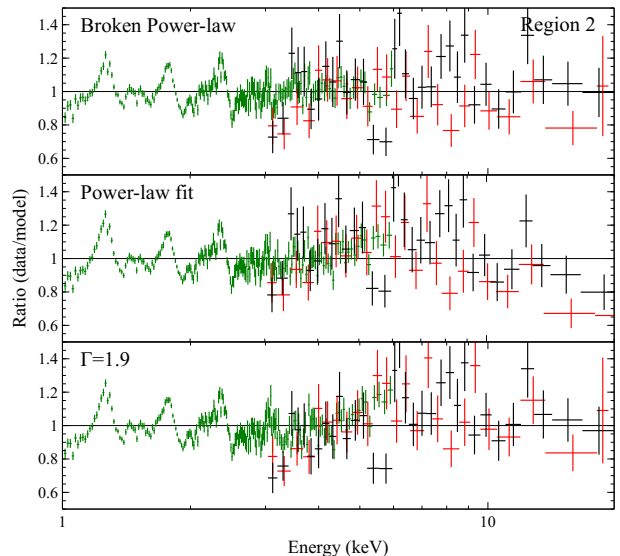


FIG. 11.— Combined fits to *Chandra* and *NuSTAR* for region #2 shown in Figure 9. Top panel are residuals to the best fit of a broken power-law and a plane parallel shock. Middle panel are residuals to a power-law and plane parallel shock. Bottom panel are residuals then the power-law index is frozen to  $\Gamma_2$  given in Table 1.

the photon index varies as a log parabola

$$F(E) = K(E/E_1)^{(\alpha + \beta \log(E/E_1))} \text{ph cm}^{-2} \text{s}^{-1} \text{keV}^{-1}. \quad (1)$$

Here  $\alpha$  is the photon index at the pivot energy  $E_1$ , and we set  $E_1 = 5$  keV. The results of the two models are shown in Table 1, and while the `logpar` model yields a slightly better fit, the difference between the two models is only significant to 98%.



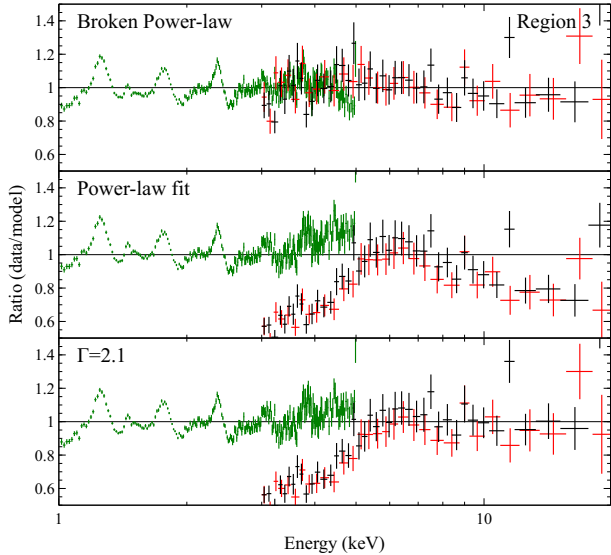


FIG. 12.— Combined fits to *Chandra* and *NuSTAR* for region #3 shown in Figure 9. Top panel are residuals to the best fit of a broken power-law and a plane parallel shock. Middle panel are residuals to a power-law and plane parallel shock. Bottom panel are residuals then the power-law index is frozen to  $\Gamma_2$  given in Table 1.

### 3.4. Broadband SED

Armed with this understanding of the PWN and PSR, we then proceeded to fit the spectrum of the entire remnant, PWN+PSR, (here we include the shell together with the PWN) across *Chandra*, *NuSTAR*, and *INTEGRAL*, from 1 – 300 keV. To help with the stability of the spectrum and to illustrate how the different components interact, we included four spectra from *NuSTAR*: the full phase (phase: 0 – 1.0), on-pulse period (phase: 0.0 – 0.6), off-pulse period (phase: 0.6 – 1.0), and the pulse on-off spectrum.

We fit with the model `vps shock + bknpowerlaw(PWN)+powerlaw(PSR)` and set the normalization of the PSR to 0 in the off-pulse spectrum, and the normalization of the PWN (thermal and non-thermal) to 0 for pulse on-off spectrum. As before we freeze the abundances in `vps shock` and set  $\tau_u = 4.2 \times 10^{11} \text{ s cm}^{-3}$ . The resulting fit is good with a  $\chi^2=1.08$  (1392/1285) for a  $\Gamma_{\text{PWN}} = 2.01 \pm 0.08$ ,  $\Gamma_{\text{PSR}} = 1.34 \pm 0.08$ , and  $kT = 0.75 \pm 0.08$  keV, summarized in Table 3.

If we compare these results to those obtained in Table 1, it is reassuring that when adding in the *INTEGRAL* data we recover the same result. Figure 13 shows  $\nu F_\nu$  and illustrates that the hard X-ray spectrum is composed of the two non-thermal components, one from the PWN + shell and the other from the PSR, which grows to dominate above 20 keV. To break this down even further, we can calculate the flux in 5 – 20 keV from the *NuSTAR* data in the three regions and find that the PWN and shell contribute roughly equally. The harder PWN ( $\Gamma \sim 1.7$ ) will eventually dominate over the shell ( $\Gamma \sim 2.1$ ) with increasing energy, but neither will have any considerable contribution at  $\gamma$ -ray energies compared to the PSR.

## 4. DISCUSSION

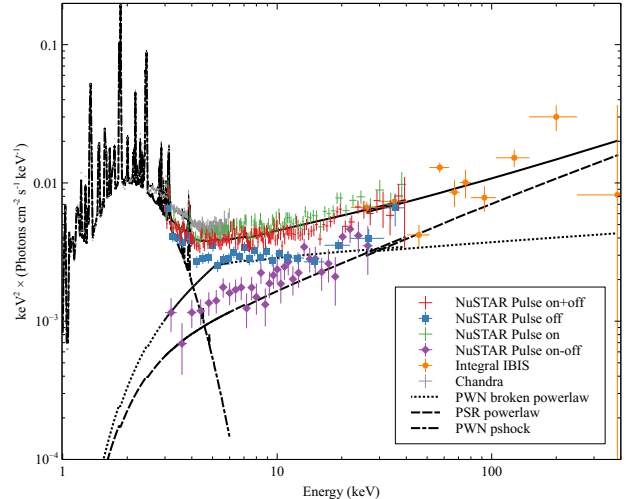


FIG. 13.— Broadband SED using *Chandra*, *INTEGRAL*, and *NuSTAR*.

We can collect our findings in three categories: the PSR, PWN, and the shell.

For the PSR we find  $P = 6.4706254242 \times 10^{-2}$  s and  $\dot{P} = 3.4332573 \times 10^{-14}$  s s $^{-1}$  and if we assume the magnetic dipole field of a canonical pulsar with  $R = 10$  km and moment of inertia of  $I = 10^{45} \text{ g cm}^2$  this gives a minimum field strength and spin down rotational energy of

$$B > \left( \frac{3c^3 I}{8\pi^2 R^6} \right)^{1/2} (P\dot{P})^{1/2} = 1.5 \times 10^{12} \text{ G}, \quad (2)$$

$$\dot{E} = \left( \frac{4\pi^2 I \dot{P}}{P^3} \right) = 5.0 \times 10^{36} \text{ ergs s}^{-1}. \quad (3)$$

We find a rise in pulsed fraction with energy, which is explained by the underlying PWN continuum contributing less flux at higher energies with respect to the pulsar. We find that the pulsed spectrum can be described by a power-law with photon index  $\Gamma = 1.35 \pm 0.08$  all the way through the *INTEGRAL*/IBIS band up to 300 keV. At 20 keV the contribution of PWN+shell and PSR to the total flux is roughly 50/50, but at higher energies, the pulsed spectrum dominates the combined flux of the remnant and becomes the primary contributor in the soft  $\gamma$ -rays. The pulsed spectrum is consistent with the measurement made with *RXTE* reported by Roberts et al. (2004), and the interpretation of the pulsed flux dominating above 20 keV consistent with previous *RXTE* and *INTEGRAL* findings by Kuiper & Hermsen (2015).

It is commonly accepted that the sources of the high-energy radiation in rotation powered pulsars are curvature and synchrotron photons from pair production cascades in the magnetosphere. However, the site of the acceleration has long been a matter of debate, and though it still remains uncertain, *Fermi* re-solved the long-standing question of whether the acceleration originated close to the stellar surface from the polar cap region (Daugherty & Harding 1982) or in the outer magnetosphere at the light cylinder (where the velocity of the co-rotating magnetic field equals the speed of light), as in the outer-gap region (Cheng et al. 1986) and the slot-gap

TABLE 3  
1 – 300 keV BROADBAND SPECTRAL FIT

model (XSPEC)	tbabs	powerlaw (PSR)		powerlaw (PWN)		vpshock <sup>a</sup>	
parameter	$N_{\text{H}}^{\text{b}}$	$\Gamma$	$N^{\text{c}}$	$\Gamma$	$N^{\text{c}}$	kT (keV)	$\chi^2/\text{dof}$
	$3.5 \pm 0.01$	$1.34 \pm 0.08$	$3.9 \pm 0.8 \times 10^{-4}$	$2.01 \pm 0.08$	$3.6 \pm 0.8 \times 10^{-4}$	$0.75 \pm 0.08$	1392/1285 <sup>d</sup>

<sup>a</sup>  $\tau_u = 4.2 \times 10^{11} \text{ s cm}^{-3}$ , abundances relative to solar: Mg = 1.1, Si=1.4, S=1.2, Ar=1.1, Ca=2.7.

<sup>b</sup>  $10^{22} \text{ atoms cm}^{-2}$

<sup>c</sup> photons  $\text{keV}^{-1} \text{ cm}^{-2} \text{ s}^{-1}$

<sup>d</sup> With *Chandra* data removed

region along the current layers at the boundary between closed and open field lines (Arons 1983). Magnetic pair production in the strong fields above the polar cap predicts steep, super-exponential absorption cut-offs in the  $\gamma$ -ray spectra above a few GeV, which have not been observed. Instead, *Fermi* detected pulsars typically exhibit hard photon spectra with a gradual decline at several tens of GeV (Abdo et al. 2010; Abdo et al. 2013). Despite being young and bright in the X-rays, J1811-1925 has not been detected in the *Fermi* band. The flux of the power-law extrapolated into the *Fermi*/LAT band (100 MeV – 100 GeV) is  $\sim 1 \times 10^{-5} \text{ photons cm}^{-2} \text{ s}^{-1}$ , which is well above the detection threshold limit of  $1 \times 10^{-9} \text{ photons cm}^{-2} \text{ s}^{-1}$  for a photon index of 1.5 given by Figure 20 in Abdo et al. (2010). This would indicate that the spectrum has a turnover below 100 MeV and makes it similar to PSR J1846–0258 (Kuiper & Hermsen 2009) also detected with *INTEGRAL* ISGRI/IBIS but not by *Fermi*/LAT, and PSR B1509-58, which is detected above 1 MeV with a measured cutoff of a few MeV (Cusumano et al. 2001; Abdo et al. 2010; Pilia et al. 2010). Common for these three is that they all have broad, single pulsed profiles in contrast to the typical narrow double-peaked  $\gamma$ -ray pulsars. Recent progress in Particle-in-cell (PIC) simulations of pulsar magnetospheres indicate that the likely location of high-energy particle acceleration occurs along the current sheet at the equator in a zone close to the light-cylinder (Chen & Beloborodov 2014; Philippov et al. 2015; Philippov & Spitkovsky 2018). In the context of these simulations, the characteristics of J1811-1925 can be understood if it has an inclined magnetic axis in the range 30–60° and is viewed at an angle of  $\sim 45^\circ$ . In this case, one observes a single pulse peak originating from the electron populations with a spectral energy distribution that falls off faster than for double peaked pulse profiles (see Figure 10, Cerutti et al. 2016). Detailed analysis performed with radio and X-rays, which take into account the shape of the torus and asymmetric brightness of the jets, indicates that the tilt of the torus to the plane of the sky is  $\sim 60^\circ$  (Borkowski et al. 2016). The line of sight to the rotation axis is then 30° and consistent with what can be inferred from the pulse profile and cut-off of the spectrum.

The spatially integrated spectrum of the pulsar-wind nebula at energies above the *Chandra* band is well described by a power-law with  $\Gamma = 1.71 \pm 0.07$ , consistent with the value of  $1.78 \pm 0.7$  reported by Borkowski et al. (2016). That study found no significant steepening in spectrum with distance from the pulsar as is seen in other PWNe such as G21.5–0.9 (Nynka et al. 2014); while the nominal best-fit values of  $\Gamma$  did increase, the magnitude of the change was within errors. However, here we find that the PWN extent along the jet direction

shrinks with increasing energy, with  $\text{HWHM} \propto E^{-\gamma}$  with  $\gamma_{\text{jet}} = 0.9 \pm 0.3$  along the jet axis and  $\gamma_{\text{torus}} = 0.5 \pm 0.4$  perpendicular to that direction. While errors are large, the shrinkage along the jet seems secure and larger than that perpendicular to the jet. These two results are consistent if particle transport along the PWN is primarily advective and monotonically increasing going out, in which case one expects a constant spectrum until an abrupt spectral cutoff at a distance from the pulsar corresponding to the particle lifetimes (see figures in Reynolds 2003). Most PWNe show, instead, gradual steepening of the spectrum, indicating a mixture of particles of different ages at a given distance from the pulsar, such as might be produced by diffusion (e.g., Reynolds & Jones 1991; Tang & Chevalier 2012) or more complex advective motions (Porth et al. 2013). The magnitude of the energy-dependent shrinkage exponent,  $\gamma$ , of about 0.9 is distinct from those measured by *NuSTAR* in G21.5–0.9 (Nynka et al. 2014) and MSH 15–52 (An et al. 2014), where values of  $\gamma$  of about 0.2 were found. For the Crab, Madsen et al. (2015) reported differing shrinkage rates along the jet, counterjet, and transverse (torus) directions of about 0.05, 0.2, and 0.08, respectively. Thus the jet in G11.2-0.3 stands out among PWNe in two ways: a more rapid shrinkage with energy, but absence of progressive spectral steepening along its length. Evidently the nature of particle transport in G11.2-0.3 is different from that in other very young PWNe. A deeper analysis of the PWN in Kes 75, the youngest known in the Galaxy, may cast light on this situation.

For the shell we confirm the suggestions from *Chandra* data that a non-thermal component is required, and can be described by a power-law with  $\Gamma = 2.1 \pm 0.1$ . An *srcut* fit does not do well in describing the data. We also see some shrinkage of the shell radius with increasing energy, consistent with the *Chandra* finding that harder emission is concentrated near the inner edge of the shell (Borkowski et al. 2016).

The confirmation of non-thermal X-rays from the shell means that G11.2-0.3 joins the other Galactic remnants less than a few thousand years old in having evidence for shock acceleration of electrons to multi-TeV energies. Only three Galactic shell remnants of core-collapse supernovae with ages less than about 2000 yr are known: Cas A (about 350 years old), Kes 75 (about  $480 \pm 50$  years old; Reynolds et al. 2018b), and G11.2-0.3. The non-thermal X-ray spectrum of Cas A is remarkable, extending as a single power-law to energies of order 100 keV, with the hardest emission originating from neither the forward nor the reverse shock (Grefenstette et al. 2015). While the *Chandra* spectrum of the shell in Kes 75 requires a hard spectral component, that component may be a power-law (Helfand et al. 2003) or a high-

temperature thermal component from the blast wave (Morton et al. 2007). All remnants of Type Ia supernovae from the last 2000 years (G1.9+0.3, Tycho, Kepler, SN 1006, and RCW 86; see Reynolds et al. (2008) for a review) show synchrotron X-ray emission of unambiguous character.

The shell spectrum in G11.2-0.3 is quite hard compared to synchrotron X-ray emission from the other shells. For Cas A,  $\Gamma \sim 3.1$  for filaments associated with the forward shock, and 3.4 for interior emission above 15 keV (Grefenstette et al. 2015). For the young Type Ia remnants,  $\Gamma \sim 3$  is typical (e.g.,  $\Gamma = 3.0$  for Tycho’s SNR; Wang & Li 2014). Our value of  $\Gamma = 2.1$  for the photon index corresponds to an energy index  $\alpha_x$  of 1.1, about 0.5 larger than the radio energy index of  $\alpha = 0.56$ . Of all the known cases of shell synchrotron X-rays, only G11.2-0.3 shows such a small amount of steepening. The value  $\Delta\alpha = 0.5$  is of course the expectation for the very simple case of continuous electron acceleration to very high energies followed by radiative losses in a homogeneous source. Synchrotron losses simultaneous with acceleration will produce an electron spectrum with an (approximately) exponential cutoff at an energy at which the acceleration time equals the loss time (Zirakashvili & Aharonian 2007), rather than a steeper power-law. The sum of a range of cut-off spectra can produce a power-law.

An attempt to model the integrated spectral-energy distribution (SED) of the shell emission of G11.2-0.3 with a simple loss model encounters severe quantitative difficulties. If we take our observed value of  $\Gamma$  at face value, the extrapolations of the radio spectrum ( $S_\nu \sim 20(\nu/1 \text{ GHz})^{-0.6}$ ) up and the X-ray spectrum down meet at a frequency of about  $3 \times 10^{12}$  Hz. If we picture electrons as accelerated in a region in which the magnetic field allows energies of  $\approx 100$  TeV to be reached, but then radiating subsequently in a region with higher field strength, our knowledge of the age of G11.2-0.3 of about 2000 years allows the deduction of that higher magnetic-field strength. The half-life  $t_{1/2}$  of an electron radiating the peak of its synchrotron spectrum at frequency  $\nu$  in a magnetic field  $B$  is given by

$$t_{1/2} = 5.69 \times 10^{11} B^{-3/2} \nu^{-1/2} \text{ s.} \quad (4)$$

For an age of 2000 years and a break frequency of  $3 \times 10^{12}$  Hz, we find

$$B = 300 \left( \frac{t}{2000 \text{ y}} \right)^{-2/3} \left( \frac{\nu}{3 \times 10^{12} \text{ Hz}} \right)^{-1/3} \mu\text{G.} \quad (5)$$

This value is quite high, perhaps implausibly so.

This naive picture is almost certainly incorrect. The maximum photon energy emitted by an electron distribution limited by radiative losses depends only on the shock velocity (and geometric factors likely to be of order unity; e.g., Reynolds et al. 2008):  $h\nu_{\text{max,loss}} \sim 0.2u_8^2 \text{ keV}$  where  $u_8$  is the shock speed in units of  $10^8 \text{ cm s}^{-1}$ . For G11.2-0.3, proper-motion observations give  $u_8 \sim (0.7 - 1.2)$  (Borkowski et al. 2016), so it is impossible to produce the observed 20 keV synchrotron photons from an electron distribution accelerated in a region with a magnetic-field strength of 300  $\mu\text{G}$ .

But the interpretation of the integrated SED of G11.2-0.3 as that of a power-law steepened by continuous losses already requires that the conditions in the acceleration

region be different from those in the regions where the electrons do most of their radiating. To produce synchrotron photons up to the  $\sim 20$  keV we observe from the radiating region where  $B \sim 300 \mu\text{G}$ , we require electron energies up to  $E_m \sim 60$  TeV. The loss-limited maximum electron energy is roughly  $E_{\text{m,loss}} \sim 100u_8 B_{\mu\text{G}}^{-1/2} \text{ TeV}$ ; since  $u_8 \sim 1$ , we require a very low magnetic field in the acceleration region, of order 1  $\mu\text{G}$ . The combination of a very low field near the shock, where electrons are presumably accelerated, followed by their diffusing or advecting into a region where  $B$  is larger by orders of magnitude, seems extremely implausible. Much more likely is that the X-ray photon index reflects not the spectrum radiated by a single power-law electron distribution, but the superposition of distributions accelerated under a range of conditions, with the rough agreement of  $\alpha_r + 0.5$  with the X-ray energy index  $\Gamma - 1$  entirely fortuitous.

## 5. CONCLUSIONS

Our *NuSTAR* observations extend the range of X-ray studies of G11.2-0.3 to 35 keV, with new results on the pulsar, the pulsar-wind nebula, and the outer shell. The PSR shows a pulse profile broadening with increasing energy, and an increasing pulsed fraction, and its spectrum does not show evidence of curvature up to 300 keV. The PWN has an integrated spectrum consistent with earlier studies, but shows shrinkage along the jet direction, which contrasts with the lack of observed spectral steepening along the jet in *Chandra* observations. The electron outflow in the PWN may be simpler than that seen in other young PWNe. Our imaging observations of the shell show a slightly smaller radius at higher energies, consistent with *Chandra* results. We confirm the existence of a hard, power-law component from the shell of G11.2-0.3, with photon index  $\Gamma = 2.1 \pm 0.1$ , which is almost certainly synchrotron emission, given the absence of significant Fe  $K\alpha$  emission between 6.4 and 6.7 keV. While this value of  $\Gamma$  agrees with the expected value for the index of synchrotron emission from a simple model of synchrotron losses in a homogeneous source given the radio (energy) spectral index of 0.6, the implied “break” frequency of  $3 \times 10^{12}$  Hz demands an impossibly high magnetic field, and the agreement is likely fortuitous. Instead, we attribute the hard spectrum to a superposition of spectra from electrons accelerated in different regions with different conditions, which may also explain the broken spectrum of the power-law.

*Facilities:* NuSTAR Chandra INTEGRAL

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